ANSWER KEY OF F.E. Semester – I (RC 2019-20) March 2021Examination PHYSICS

Part – A

Answer any two questions:

1. a) Band theory of solids

Diagram showing band structure of Conductors, Insulators & semiconductors 2 marks Explanation of each with one example3marks

b) Determining wavelength of light using Newton's Rings

Ray Diagram 1 mark

Brief explanation1mark

Diameters of nth and (n+p)th dark rings: _1mark $D_n^2 = 4 n \lambda R$

$$D_{n+p}^2 = 4(n+p)\lambda F$$

Putting together and obtaining final expression:

 $\lambda = \frac{D_{n+p}^2 - D_n^2}{4 p R} \quad2 \text{marks}$

c) Diamagnetism

Diagrams showing filled electron orbitals and atomic dipoles in absence and presence of magnetic field......1 mark

Brief explanation of diamagnetism 2 marks

Any 4 properties2 marks

d) Numerical Problem

$$\begin{split} \lambda_u &= \frac{2n\lambda}{\sin\theta} \quad \dots \dots \mathbf{1} \text{ mark} \\ &= \frac{2 \times 1 \times 6328 \times 10^{-10}}{\sin 10^{\circ} 15'} = 7.11 \times 10^{-6} m \quad \dots \dots \mathbf{2} \text{ marks} \\ \nu &= f. \lambda_u = 200 \times 10^6 \times 7.11 \times 10^{-6} = 1422.5 \text{ m/s} \quad \dots \dots \mathbf{2} \text{ marks} \end{split}$$

2. a) Interference in Wedge shaped film

Ray diagram1mark

Applying the theory of thin film interference for reflected light, using conditions for minima & maxima: ך 1 ו

 $2 \mu t \cos r = n \lambda$

 $2 \mu t \cos r = (2n + 1) \frac{\lambda}{2}$

Using normal incidence assumption and then putting n = 0,1,2,3.... and obtaining different values of 't' 1mark

From the figure, obtaining expression for fringe width:

 $\beta = \frac{\lambda}{2\mu\theta}$ 2marks

b) Acoustic Diffraction Grating

Diagram of experimental setup1 mark

Explanation of setup1marks

Applying the theory of diffraction we have for maxima,

 $d \sin\theta = n \lambda$ **1 mark**

In the acoustic grating, the grating element,

 $d = \lambda_u/2$ 1 mark

Combining the equations and obtaining –1 mark $\lambda_u = \frac{2n\lambda}{\sin\theta}$ $v = f \cdot \lambda_u$

c) Definition & Units

Magnetizing field, magnetization, magnetic susceptibility, Magnetic induction1 mark each Units1 mark

d) Explanation of drift current1 mark

Numerical problem

For p-type semiconductor,

 $\sigma = e \cdot p \cdot \mu_h$ **1mark** $p = \frac{\sigma}{e \cdot \mu_{h}} = \frac{1}{\rho \cdot e \cdot \mu_{h}} = \frac{1}{0.2 \times 1.6 \times 10^{-19} \times 0.14} = 2.23 \times 10^{20} \text{ /m}^{3} \dots \text{.3marks}$

3. a) Expression for conductivity of a semiconductor

Diagram 1mark

Using definition of current (I = Q/t) obtaining expression for J:

 $J = n e v_d$ 1½marks

Using Ohm's law obtaining another expression for J:

$$J = \sigma E$$
 1½marks

Combining the above two and obtaining final expression

 $\sigma = n e \mu$ 1mark

b) Numerical Problem

$$\lambda = \frac{\frac{D_{n+p}^2 - D_n^2}{4 p R}}{\frac{1}{4 p R}} \dots 1 \text{mark}$$

$$= \frac{0.6^2 - 0.3^2}{\frac{1}{4 \times 15 \times 6000 \times 10^{-8}}} \dots 1 \text{ mark}$$

$$= 75 \text{ cm} \dots 1 \text{ mark}$$

$$D_5^2 = 4 \times 5 \times \lambda R/\mu$$

$$= 4 \times 5 \times 6000 \times 10^{-8} \times 75/1.33$$

$$= 0.068$$

$$D_5 = \sqrt{0.068} = 0.26 \text{ cm}$$

$$Cathode ray oscilloscope (CRO)$$

c) Block diagram of CRO3marks

Explanation of CRT2marks

Explanation of vertical circuits1marks

Explanation of horizontal circuits2marks

Explanation of trigger circuit & power supply section2marks

Part – B

Answer any two questions:

4. a) Four level pumping scheme

Energy level diagrams (before & after pumping)1 mark Explanation of how population inversion is achieved and laser is produced 3 marks Advantages of four level over three level pumping scheme 1 marks

b) Types of optical fibres

i) Single-mode Step-index fibre (ii) Multimode step-index fibre (iii) GRIN fibre RI profile diagrams1 mark

Cross-sectional view diagrams2 marks Brief explanation of each type of fibre2 marks

c) Davisson-Germer Experiment

Diagram of experimental setup 1mark Brief explanation of setup 1mark Oservations from experiment.....1 marks Analysis showing electrons behave like x-rays2marks

d) Numerical problem

Bragg's Law of x-ray diffraction, $2d\sin\theta = n\lambda$ **1 mark** $n = \frac{2d\sin\theta}{\lambda}$ For highest n, $\sin\theta = 1$ Hence, $n_{max} = \frac{2d}{\lambda} = \frac{2 \times 3.9}{1.54} = 5.06$ Hence highest order = 5 Again from Bragg's law, $2d\sin\theta = n\lambda$ $\Rightarrow \theta = \sin^{-1}\frac{n\lambda}{2d} = \sin^{-1}\frac{3 \times 1.54}{2 \times 3.9} = 36.32^{\circ}$

5. a) Expression for Acceptance Angle & Acceptance cone

Ray diagram 1 mark

Limiting condition: when $i = i_{max}$, $\theta = i_c$ **1 mark** Using Snell's Law and critical angle formula and finally obtaining the expression:

$$i_{max} = sin^{-1} \left(\frac{\sqrt{(\mu_1^2 - \mu_2^2)}}{\mu_0} \right)$$
 2 marks

Acceptance cone explanation 1 mark

b) X-ray diffraction and Bragg's Law

Explanation of x-ray diffraction 1 mark

Ray diagram 1 mark

Obtaining path difference between lower and upper x-ray, $\Delta = 2dsin\theta$ **2 marks** Using maxima condition and obtaining final expression for Bragg's Law,

 $2dsin\theta = n\lambda$ **1** mark

c) Stimulated emission

Energy level diagram 1 mark Explanation of process of stimulated emission..... 2mark Light amplification using stimulated emission (with diagram) 2marks

d) Numerical Problem

Compton shift, $\lambda' - \lambda = \frac{h}{m_0 c} (1 - \cos\theta)$ 1mark $\Rightarrow \lambda' = \lambda + \frac{h}{m_0 c} (1 - \cos\theta)$ $= 0.03 \times 10^{-10} + \frac{6.63 \times 10^{-34}}{9.1 \times 10^{-31} \times 3 \times 10^8} (1 - \cos60)$ 1mark $= 0.042 \times 10^{-10} m$ 2marks

Compton shift = $\lambda' - \lambda = 0.012 \text{ x10}^{-10} \text{m}$ 1mark

6. a) Optical fibre communication system

Block diagram2marks

Explanation of block diagram2marks

Any two advantages of optical fibres over copper wires1mark

b) Numerical problem

$$\nu_m = \frac{mc}{2L} \dots \mathbf{1} \mathbf{mark}$$

$$\Rightarrow L = \frac{mc}{2\nu_m} = \frac{1 \times 3 \times 10^8}{2 \times 1500 \times 10^6} = 0.1 \text{ m} \dots \mathbf{2} \mathbf{marks}$$

$$P = \frac{E}{t} = \frac{n \cdot h\nu}{t} = \frac{n \cdot h \cdot c}{\lambda \cdot t}$$

$$\Rightarrow n = \frac{P \cdot \lambda \cdot t}{h \cdot c} = \frac{5 \times 10^{-3} \times 6328 \times 10^{-10} \times 1}{6.63 \times 10^{-34} \times 3 \times 10^8} = 1.59 \times 10^{16}$$

c) Expression for Compton Shift

Diagram showing collision between photon and electron1mark

Values of energy & momentum of photon and electron before and after collision **....2marks** Equation of law of conservation of energy,

 $h\nu + m_0 c^2 = h\nu' + mc^2$ 1mark

Equation of law of conservation of momentum along horizontal direction,

$$\frac{hv}{c} + 0 = \frac{hv'}{c}cos\theta + mvcos\varphi$$
1mark

Equation of law of conservation of momentum along vertical direction,

 $0 + 0 = \frac{hv'}{c}sin\theta - mvsin\varphi$ **1mark**

Working on above equations and finally obtaining expression for Compton Shitf:

$$\lambda' - \lambda = \frac{h}{m_0 c} (1 - \cos\theta)$$
3marks

Showing that the wavelength of modified component is greater than that of unmodified component1mark

Part – C

Answer any one question:

7. a) Diameter of dark rings in Newton's Rings for transmitted light

General expression for diameter: $D_n^2 = 8 \text{ R t}$ **1mark** Using the theory of interference in thin films for transmitted light, condition for <u>mimima</u> is: $2 \mu t \cos r = (2n + 1)\lambda/2$ **1mark**

Using normal incidence assumption we get $2 \mu t = (2n + 1)\lambda/2$

$$\Rightarrow t = \frac{(2n+1)\lambda}{4\mu} \dots 1 \text{mark}$$

....2marks

Substituting in general expression and solving we get,

$$D_n = \sqrt{\frac{2\,\lambda\,R}{\mu}} \cdot \sqrt{(2n+1)}$$

 $\Rightarrow D_n \propto \sqrt{(2n+1)}$

(since
$$\sqrt{\frac{2 \lambda R}{\mu}}$$
 is a constant)

b) Optical Resonator

Diagram of optical resonator1mark Brief explanation2 marks Requirement of optical resonator in laser: feedback of photons & selection of direction. Brief explanation.2marks

c) Applications of USW

- i) Detection of flaws in metals (with diagram)21/2 marks
- ii) SONAR (with diagram)21/2 marks

d) Numerical Problem

$$\frac{1}{\lambda_{K_{\alpha}}} = \frac{3}{4}R(z-1)^{2} \text{1mark}$$

$$(z-1)^{2} = \frac{4}{3\lambda_{K_{\alpha}}R} = \frac{4}{3\times 1.55\times 10^{-10}\times 1.097\times 10^{7}} = 784.1$$

$$z-1 = \sqrt{784.1} = 28$$

$$z = 28 + 1 = 29$$
The set of th

The target element is Copper (atomic number 29)1mark

8. a) Expression for conductivity of a semiconductor

Four differences between paramagnetic and ferromagnetic substances. **......1mark each** Two examples each of paramagnetic and ferromagnetic substances **......1mark**

b) Numerical Problem

V-number of optical fibre, $V = \frac{2\pi a}{\lambda} \cdot (N.A.) \dots 1 \text{mark}$ $= \frac{2 \times 3.14 \times 25 \times 10^{-6}}{0.96 \times 10^{-6}} \times 0.21 = 34.34 \dots 2 \text{marks}$ Number of modes (for step index fibre), $N_m \approx V^2/2 = 34.34^2/2 = 589 \dots 2 \text{marks}$

c) Helium-Neon Laser

Diagram of He-Ne laser setup1marks

Explanation of setup2marks

Energy level diagram of He-Ne laser2marks

Working of He-Ne laser3marks

Advantages of He-Ne laser over ruby laser2marks