

**ANSWER KEY OF**  
**F.E. Semester – I (RC 2019-20) Examination, Jan/Feb 2023**  
**PHYSICS**

**Part – A**

Answer **any two** questions:

**1. a) Band theory of solids**

Diagram showing band structure of conductors, insulators & semiconductors ..... **2 marks**

Explanation of each with two examples .....**3marks**

**b) Types of magnetic materials**

Diamagnetic, paramagnetic & ferromagnetic materials

Brief explanation of each type .....**1mark each**

Three examples of each .....**2marks**

**c) Diameter of bright rings in Newton's Rings for reflected light**

Obtaining general expression for diameter of Newton's rings using theorem of intersecting chords.  $D_n^2 = 8 R t$  ....**2marks**

Using the theory of interference in thin films for reflected light, condition for maximas is:  $2 \mu t \cos r = (2n + 1)\lambda/2$

Using normal incidence assumption we get  $2 \mu t = (2n + 1)\lambda/2$

$$\Rightarrow t = \frac{(2n+1)\lambda}{4\mu}$$

.....**1mark**

Substituting in general expression and solving we get,

$$D_n = \sqrt{\frac{2\lambda R}{\mu}} \cdot \sqrt{(2n + 1)}$$

$$= C \cdot \sqrt{(2n + 1)} \quad \text{where } C = \sqrt{\frac{2\lambda R}{\mu}} \text{ is a constant}$$

Thus,  $D_n \propto \sqrt{(2n + 1)}$  (square root of odd natural numbers)

.....**2marks**

**d) Numerical Problem**

Magnetostriction definition ..... **1mark**

$$f_n = \frac{1}{2L} \sqrt{\frac{Y}{\rho}} \quad \text{..... 1mark}$$

$$= \frac{1}{2 \times 8.2 \times 10^{-2}} \sqrt{\frac{11.6 \times 10^{10}}{7.6 \times 10^3}} \quad \text{..... 1 mark}$$

$$= 23,822 \text{ Hz} \quad \text{..... 1 mark}$$

It can be used to generate USW since  $f_n > 20,000\text{Hz}$  ..... **1 mark**

**2. a) Interference in parallel thin film due to reflected light**

Ray Diagram .... **1 mark**

The optical path difference between the rays R1 and R2 is:

$$\Delta = (AB + BC) \text{ in film} - AG \text{ in air}$$

$$= \mu (AB + BC) - (AG + \lambda/2) \quad \text{.....1mark}$$

Solving and obtaining:

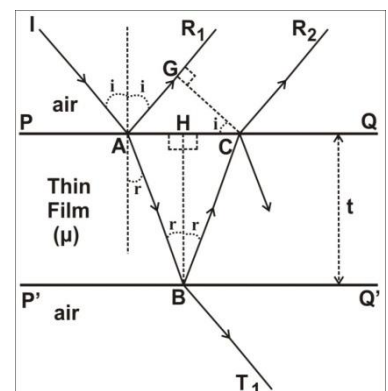
$$\Delta = 2 \mu t \cos r - \frac{\lambda}{2} \quad \text{.....2marks}$$

Conditions for maxima & minima:

$$2 \mu t \cos r = (2n + 1) \frac{\lambda}{2}$$

$$2 \mu t \cos r = n \lambda$$

.....**1mark**



**b) Piezoelectric oscillator**

Circuit diagram of piezoelectric oscillator .....2 marks

Explanation of working of circuit and generation of USW .....3 marks

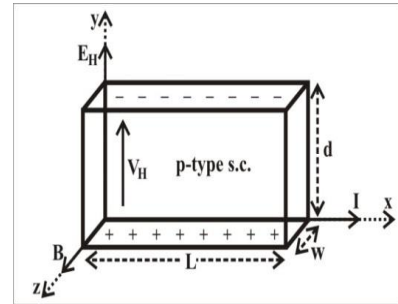
**c) Hall Effect and expression Hall Voltage**

Hall Effect definition ..... 1mark

Diagram .....1 mark

Explanation about magnetic and electric forces in opposite direction and obtaining  $V_H = dv_d B$  ..... 2 marks

Replacing  $v_d$  using expressions for current density and obtaining the final expression  $V_H = \frac{IB}{pe_w}$  ..... 1mark



**d) Numerical problem**

Magnetic susceptibility,  $\chi = \frac{M}{H}$  .....1mark

$$= \frac{4100}{300} = 13.67 \text{ .....2marks}$$

Relative permeability,  $\mu_r = 1 + \chi = 1 + 13.67 = 14.67$  .....2marks

**3. a) Hysteresis Loop**

Diagram of hysteresis loop .....1 mark

Explanation of hysteresis loop .....2marks

Definition of retentivity and coercivity .....1 mark each

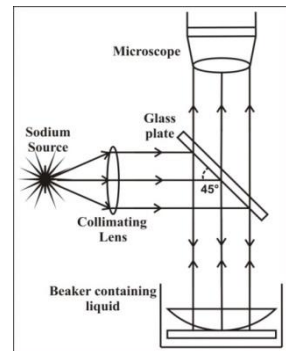
**b) Determination of refractive index using Newton's rings**

Ray diagram ....1mark

Equations in air ..... 1 mark

Equations in liquid ..... 1mark

Solving & obtaining final formula,  $\mu = \frac{D_{n+p}^2 - D_n^2}{D'_{n+p} - D_n^2}$  .....2marks



**c) Applications of US waves**

(i) Echo sounding to determine depth of ocean floor (brief explanation).....2½ marks

(ii) Cavitation in cleaning applications (brief explanation) .....2½ marks

**d) Numerical problem**

For intrinsic semiconductor,

$\sigma_i = e n_i (\mu_e + \mu_h)$  .....1mark

$$= 1.6 \times 10^{-19} \times 2.4 \times 10^9 \times (0.34 + 0.11) \text{ .....1mark}$$

$$= 1.73 \times 10^{-10} \text{ ohm}^{-1} \text{m}^{-1} \text{ .....1mark}$$

Current density,  $J = \sigma_i E = 1.73 \times 10^{-10} \times 1200 = 2.07 \times 10^{-7} \text{ A / m}^2$  .....2marks

**Part – B**

Answer any two questions:

**4. a) Bragg's Law of X-ray diffraction**

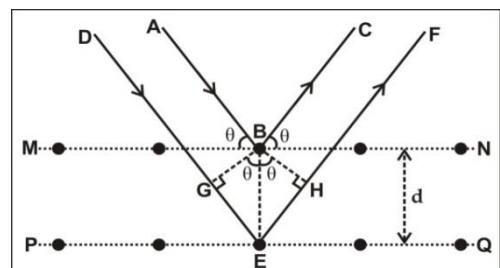
Brief explanation about x-ray diffraction .....1 mark

Diagram .....1 mark

Path difference between the rays ABC & DEF is:

$$\Delta = GE + EH \text{ .....1 mark}$$

Obtaining expression for  $\Delta$  and then using condition for constructive interference and finally obtaining:



$$2d\sin\theta = m\lambda \quad \text{.....2 mark}$$

**b) Expression for Acceptance Angle and Numerical Aperture**

Ray diagram ..... 1 mark

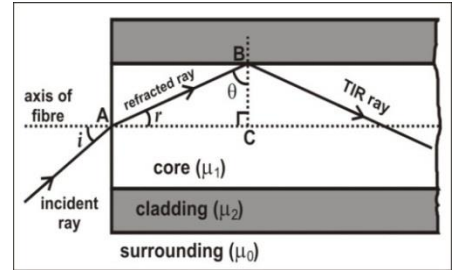
Limiting condition: when  $i = i_{max}, \theta = i_c$  ..... 1 mark

Using Snell's Law and critical angle formula and finally obtaining the expression:

$$i_{max} = \sin^{-1} \left( \frac{\sqrt{(\mu_1^2 - \mu_2^2)}}{\mu_0} \right) \quad \text{..... 1 mark}$$

$$N.A. = \sin i_{max} = \left( \frac{\sqrt{(\mu_1^2 - \mu_2^2)}}{\mu_0} \right) \quad \text{..... 1 mark}$$

Brief explanation about acceptance cone ..... 1 mark



**c) Properties and industrial applications of Laser**

Any three properties of laser ....1 mark each

Any two industrial applications of laser ....1 mark each

**d) Numerical problem**

i) For cricket ball

$$\lambda = \frac{h}{mv} = \frac{6.63 \times 10^{-34}}{1 \times 19} = 3.49 \times 10^{-35} \text{ m} \quad \text{..... 2 marks}$$

ii) For electron

$$E = 50 \text{ keV} = 50 \times 10^3 \times 1.6 \times 10^{-19} = 8 \times 10^{-15} \text{ Joules} \quad \text{..... 1 mark}$$

$$\lambda = \frac{h}{\sqrt{2mE}} = \frac{6.63 \times 10^{-34}}{\sqrt{2 \times 9.1 \times 10^{-31} \times 8 \times 10^{-15}}} = 5.49 \times 10^{-12} \text{ m} \quad \text{..... 2 marks}$$

**5. a) Step Index (SI) and Graded Index (GRIN) fibres**

R.I. profile of Step Index (SI) fibre ....1 mark

R.I. profile of Graded Index (GRIN) fibre ....1 mark

Explanation of Step Index fibre ..... 1½marks

Explanation of Graded Index fibre ..... 1½marks

**b) Moseley's Law**

Statement of Moseley's Law ..... 1½marks

Equation of Moseley Law 1½marks

Significance of Moseley's Law: Correction of periodic table & determination of atomic number of new elements .....2 marks

**c) Davisson-Germer Experiment (experiment to demonstrate wave nature of electrons)**

Diagram of experimental setup ..... 1mark

Brief explanation of setup ..... 1½mark

Observations, analysis and inference from experiment showing that electrons behave like waves .....2½ marks

**d) Numerical Problem**

Definition of population inversion ..... 1mark

$$\left. \begin{aligned} E_2 - E_1 &= h\nu = \frac{hc}{\lambda} \\ &= \frac{6.63 \times 10^{-34} \times 3 \times 10^8}{6337 \times 10^{-10}} \\ &= 3.14 \times 10^{-19} \text{ Joules} \end{aligned} \right\} \quad \text{..... 1 marks}$$

$$\frac{N_2}{N_1} = e^{-(E_2-E_1)/KT} \quad \dots 1 \text{ marks}$$

$$= e^{-(3.14 \times 10^{-19}) / (1.38 \times 10^{-23} \times 323)} \quad \dots 1 \text{ mark}$$

$$= 2.55 \times 10^{-31} \quad \dots 1 \text{ mark}$$

**6. a) Characteristic X-ray spectra**

Diagram showing collision of electron and target atom ..... 1 mark

Diagram showing spectral lines (Lynman & Balmer series) ..... 1 mark

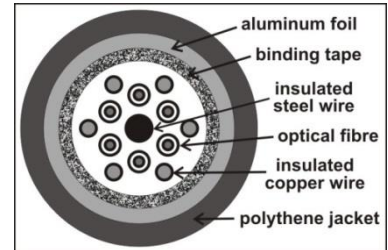
Explanation of origin of Characteristic X-ray spectra .....3 marks

**b) Structure of Optical fibre cable**

Diagram .....1 mark

Explanation of different regions and their purpose .....3marks

Propagation of light in an optical fibre using multiple TIR..... 1 mark



**c) Three-level pumping scheme**

Energy level diagram (before/after) ..... 1 mark

Explanation of process of pumping and obtaining population inversion .....3marks

Drawbacks: requires high pumping power ..... 1 mark

**d) Numerical problem**

Given R.I. of core,  $\mu_1 = 1.5$ , R.I. of cladding,  $\mu_2 = 1.48$ ,

Assume surrounding medium as air,  $\mu_0 = 1$

Critical Angle,  $i_c = \sin^{-1} \left( \frac{\mu_2}{\mu_1} \right) = \sin^{-1} \left( \frac{1.48}{1.5} \right) = 80.6^\circ \quad \dots 2 \text{ mark}$

Acceptance angle,  $i_{\max} = \sin^{-1} \left( \frac{\sqrt{(\mu_1^2 - \mu_2^2)}}{\mu_0} \right) = \sin^{-1} \left( \frac{\sqrt{(1.5^2 - 1.48^2)}}{1} \right) = 14.13^\circ \quad \dots 2 \text{ mark}$

Numerical Aperture, N. A. =  $\sin i_{\max} = \sin 14.13 = 0.2441 \quad \dots 1 \text{ mark}$

**Part – C**

Answer any one question:

**7. a) Detection of Ultrasonic waves**

Brief explanation of any three methods of detection of USW: Piezoelectric method, Kundt's tube method, Sensitive flame method, Thermal detector method ....5 marks

**b) Cathode ray oscilloscope (CRO)**

Block diagram of CRO .....3marks

Brief explanation about using CRO to measure frequency of ac signal .....2mark

**c) He-Ne Laser**

Diagram of He-Ne laser setup .....½marks

Explanation of setup ..... 1mark

Energy level diagram of He-Ne laser .....1½marks

Brief explanation of working ..... 2marks

**d) Numerical Problem**

In a parallel thin film, due to reflected light, condition for minima (dark) is:

$2 \mu t \cos r = n \lambda \quad \dots 1 \text{ mark}$

$\Rightarrow t = \frac{n \lambda}{2 \mu \cos r}$

} 1mark  
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For smallest thickness,  $n = 1$

$$t_{min} = \frac{\lambda}{2 \mu \cos r} = \frac{5890 \times 10^{-10}}{2 \times 1.38 \times \cos 45} \text{ .....2marks}$$

$$= 3.02 \times 10^{-7} \text{ m .....1 mark}$$

**8. a) Interference in Wedge shaped film**

Ray diagram .....1mark

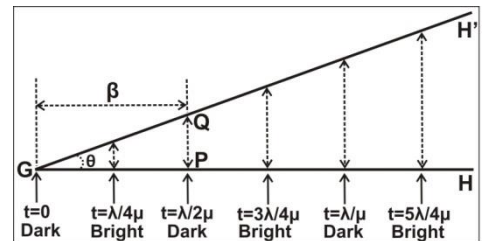
Applying the theory of thin film interference for reflected light, using conditions for minima & maxima:

$$\left. \begin{aligned} 2 \mu t \cos r &= n \lambda \\ 2 \mu t \cos r &= (2n + 1) \frac{\lambda}{2} \end{aligned} \right\} \text{ ..... 1mark}$$

Using normal incidence assumption and then putting  $n = 0, 1, 2, 3, \dots$  and obtaining different values of 't' ..... 1mark

From the figure, obtaining expression for fringe width:

$$\beta = \frac{\lambda}{2 \mu \theta} \text{ ....2marks}$$



**b) Expression for Compton Shift**

Brief explanation of Compton effect ..... 2 marks

Diagram showing collision between photon and electron ....1mark

Equation of law of conservation of energy,

$$h\nu + m_0c^2 = h\nu' + mc^2 \text{ ....1mark}$$

Equation of law of conservation of momentum along horizontal direction,

$$\frac{h\nu}{c} + 0 = \frac{h\nu'}{c} \cos\theta + mv \cos\phi \text{ ....1mark}$$

Equation of law of conservation of momentum along vertical direction,

$$0 + 0 = \frac{h\nu'}{c} \sin\theta - mv \sin\phi \text{ ....1mark}$$

Working on above equations and finally obtaining expression for Compton Shift:

$$\lambda' - \lambda = \frac{h}{m_0c} (1 - \cos\theta) \text{ ....4mark}$$

**c) Numerical Problem**

$$\frac{1}{\lambda_{K\alpha}} = \frac{3}{4} R(z - 1)^2 \text{ ....1mark}$$

$$\left. \begin{aligned} (z - 1)^2 &= \frac{4}{3 \lambda_{K\alpha} R} = \frac{4}{3 \times 1.65 \times 10^{-10} \times 1.097 \times 10^7} = 737 \\ z - 1 &= \sqrt{737} = 27 \\ z &= 27 + 1 = 28 \end{aligned} \right\} \text{ 3 marks}$$

The target element is Nickel (atomic number 28) .....1mark

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